

A user-oriented verification method for an operational forecasting model based on an economic decision model



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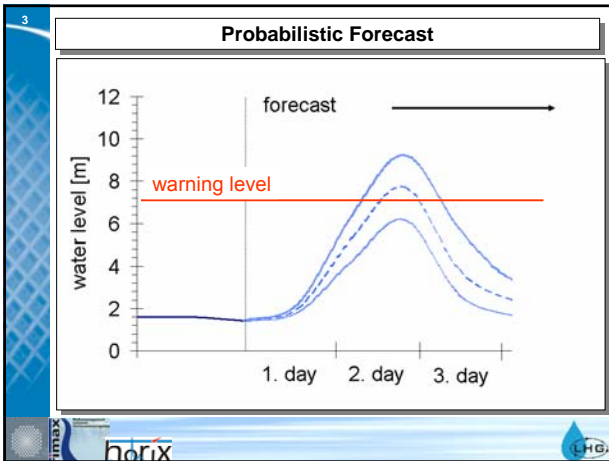
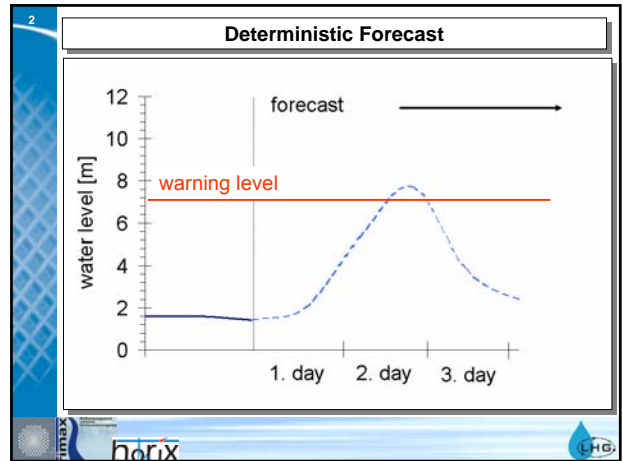
EGU in Vienna

by

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Results of a Decision Making Process

		Observation	
		Yes	No
Forecast	Yes	Hit	<i>False Alarm</i>
	No	Miss	Inverse Hit

To account the assymmetric behaviour:
 economic decision models
 e.g. static cost-loss approach (Angström, 1922)

- ### Objective
- (1) Is a probabilistic forecast useful for an end user?
 - (2) How should an end user handle a forecast to maximise his benefit?
 - (3) Can the static cost-loss approach be used to optimise a forecast model for extreme events?

Static Cost-Loss Approach (Angström, 1922)

Alarm
Cost (C) for protection
 Problem: false alarm

No Alarm
Loss (L), if an event is missed

⇒ **Minimise** costs (false alarm a + hit c) and losses (miss b)

$$E_v = \frac{a+c}{n} C + \frac{b}{n} L \Rightarrow \text{average expense}$$



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Economic Value V (Richardson, 2003)

$$V = \frac{E_0 - E_v}{E_0 - E_p}$$

Properties:

- $-\infty < V < 1$
- $V = 1$ perfect forecast
- $V > 0$ better than reference forecast E_0
- E_0 : optimal strategy between { A: never protect
B: always protect



User Groups

Problem: different user groups

→ user can be separated by their **cost-loss ratio**

Case 1: Local authority
 Cost C of a false alarm = 100.000 Euro → $\frac{C}{L} = 0.01$
 Loss L of a miss = 10 Mio. Euro

Case 2: People („Trust“)
 false alarm = miss → $\frac{C}{L} = 1$

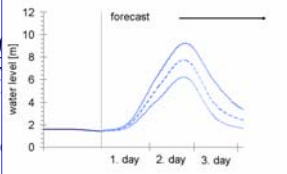


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Economic Value V (Richardson, 2003)

$$V(\alpha, s, p) = \frac{E_0(\alpha, s) - E_v(\alpha, s, p)}{E_0(\alpha, s) - E_p(\alpha, s)}$$

$\alpha = \frac{C}{L}$ cost-loss ratio

p decision threshold $0 \leq p \leq 1$

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Economic Value V (Richardson, 2003)

$$V(\alpha, s, p) = \frac{E_0(\alpha, s) - E_v(\alpha, s, p)}{E_0(\alpha, s) - E_p(\alpha, s)}$$

$\alpha = \frac{C}{L}$ cost-loss ratio $0 \leq \alpha \leq 1$

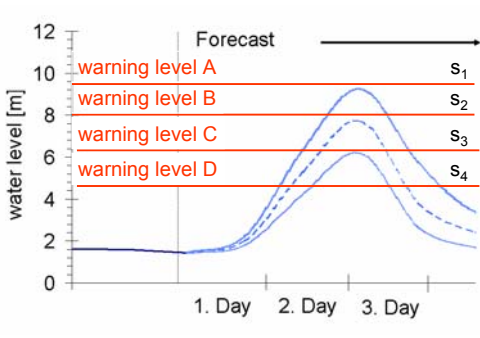


p probability threshold $0 \leq p \leq 1$

s frequency of an event $0 \leq s \leq 1$

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Probabilistic Forecast

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Optimisation for Extreme Events

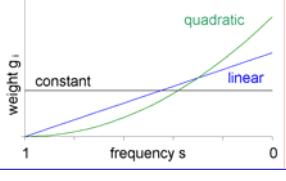


maximum economic value for a given s_i

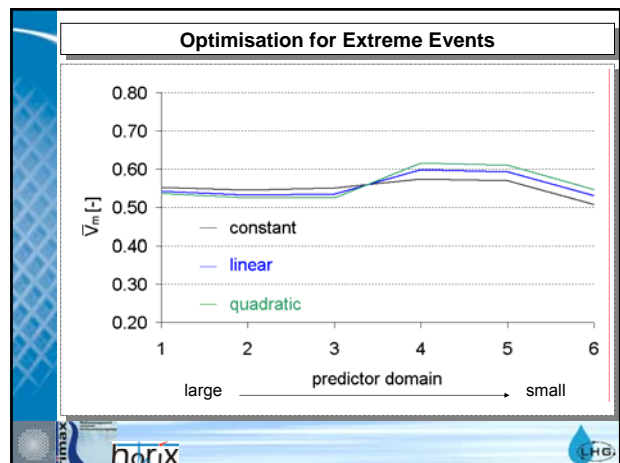
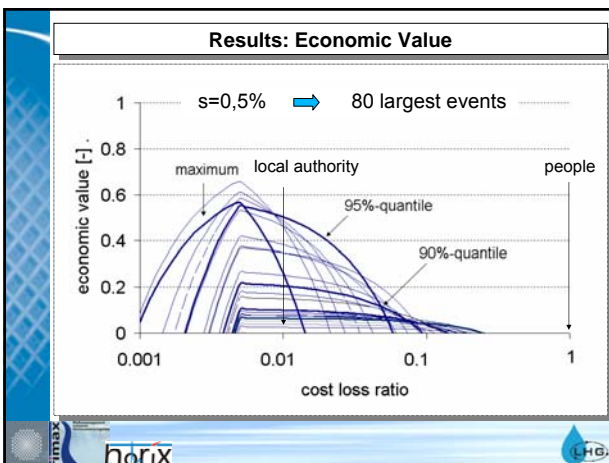
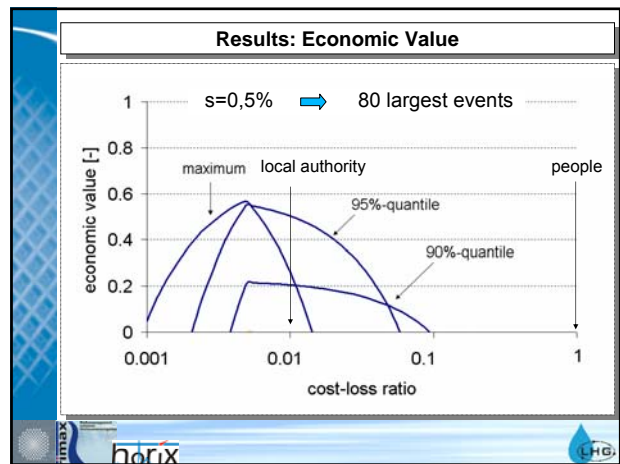
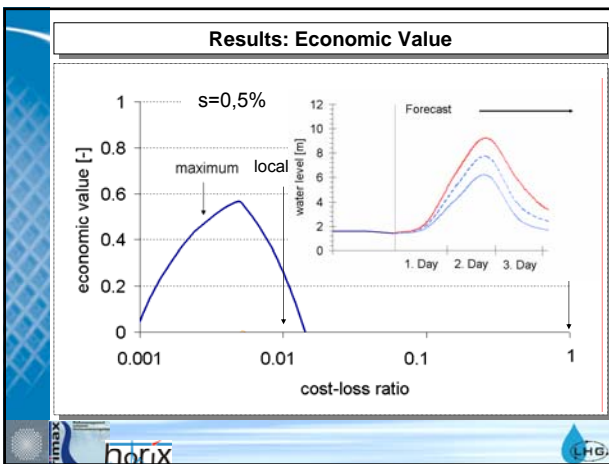
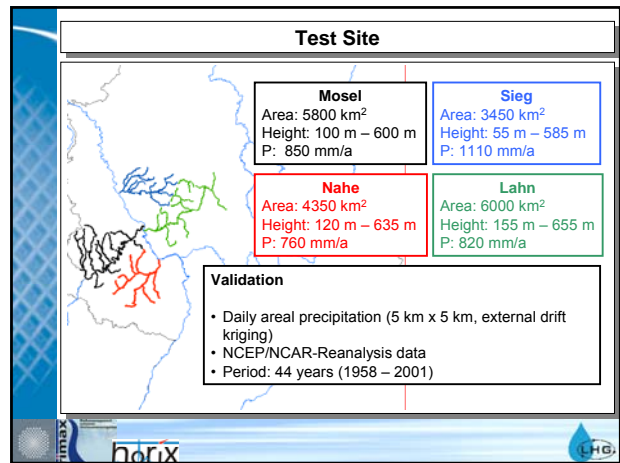
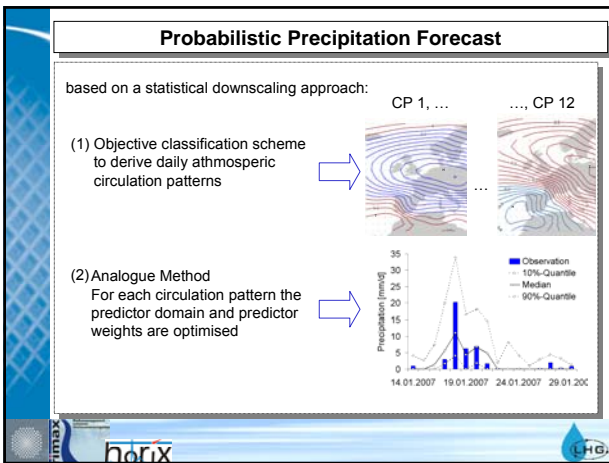
$$V_{\max, i} = \max[V(\alpha, s_i, p)] \quad i = 1, n$$

mean maximum economic value

$$\bar{V}_m = \sum_{i=1}^n g_i \cdot V_{\max, i}$$

with $\sum_{i=1}^n g_i = 1$



Conclusions

- (1) Value of a forecast model for an user can be derived by an economic decision model
- (2) How a decision maker should handle a forecast to maximise his gain
 - transfer the information to the user
- (3) Application to other forecast variables (e.g. discharge) possible (static/dynamic cost-loss approach)
 - be careful which reference forecast is chosen!

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