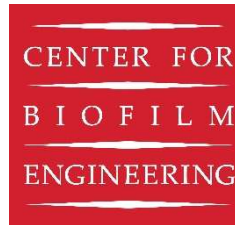


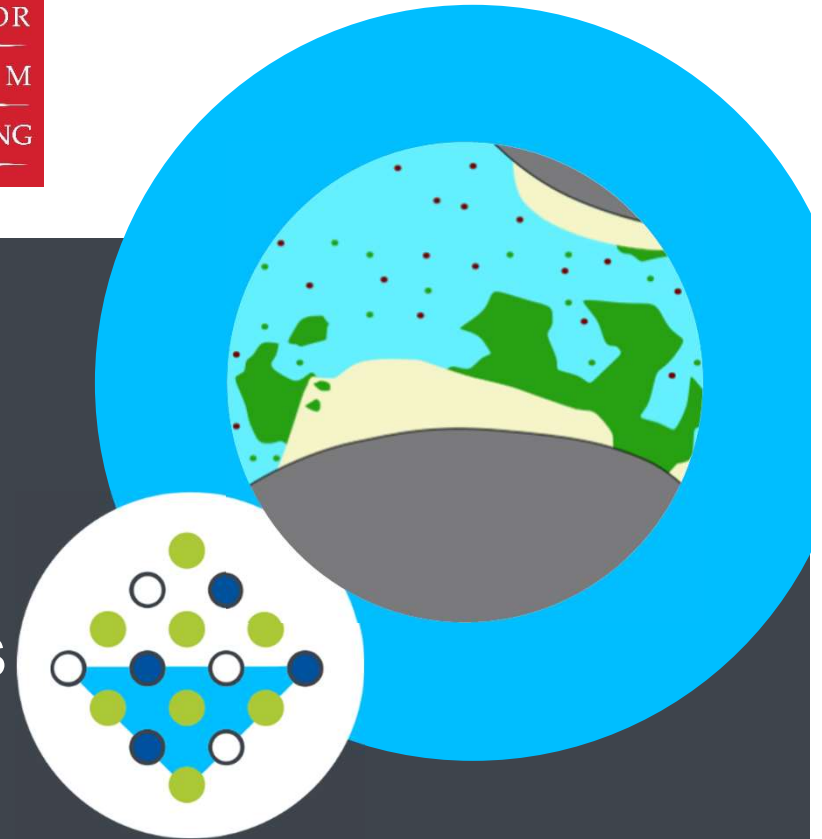
Universität Stuttgart



Enzymatically induced calcite precipitation: model development and experiments

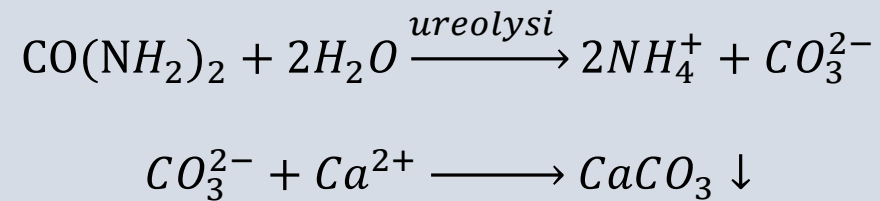
Johannes Hommel

Interpore German Chapter 2021

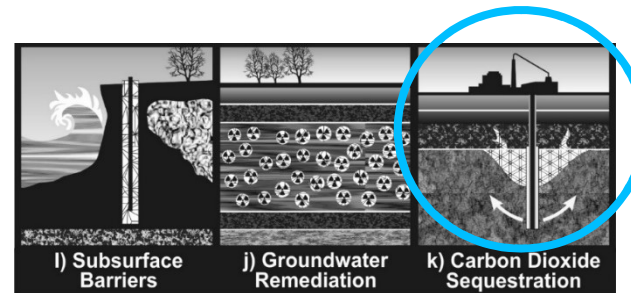
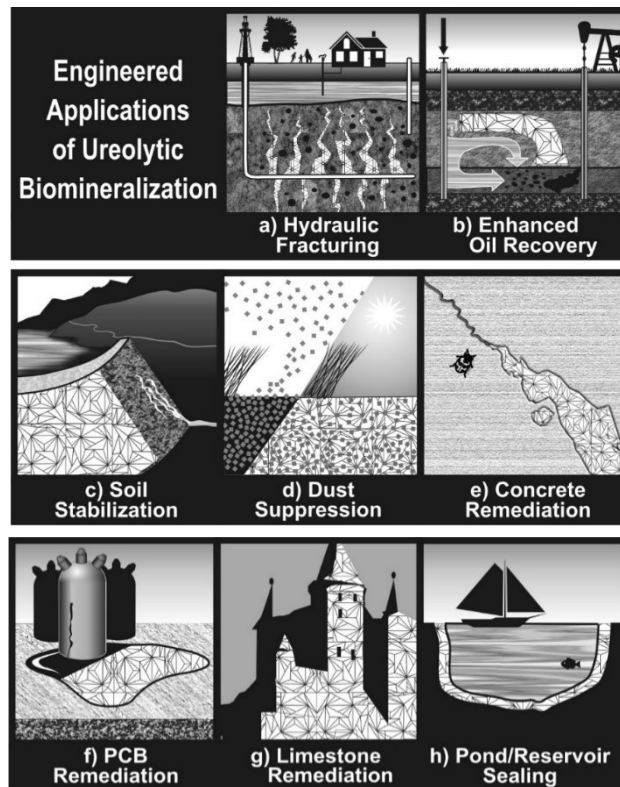


What is Induced Calcium Carbonate Precipitation (ICP)?

- Microbially (MICP) → Established models (Uni Stuttgart and others)
- **Enzymatically (EICP) → New model**
- Thermally (TICP) → New model



Why investigate ICP?

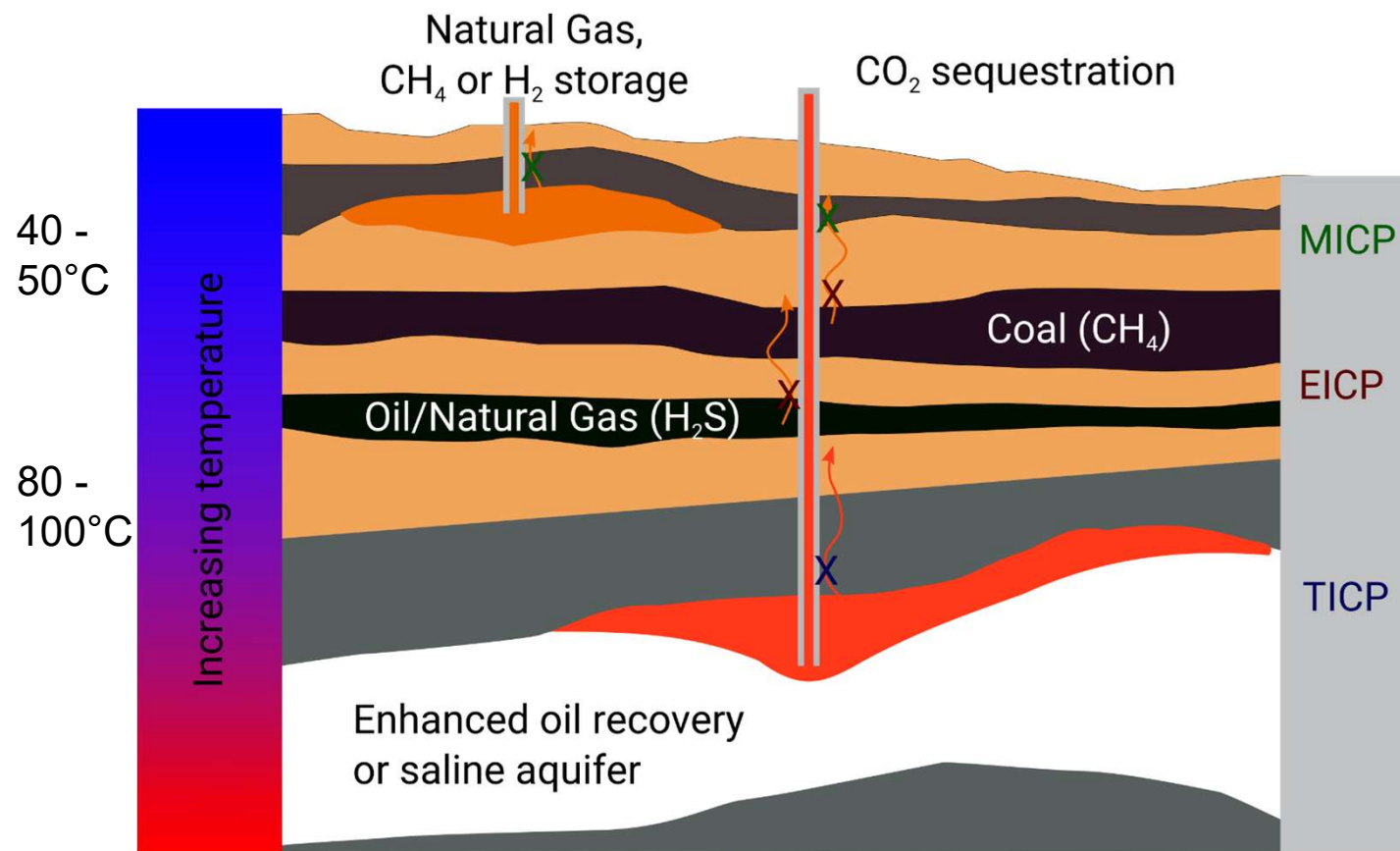


→ reduce flow → **leakage mitigation**

→ (increase mechanical strength)

Figures from:
Phillips et al. 2013
Engineered applications of ureolytic biomineralization: A review.

Why not use only MICP?



Summarized History of (M)ICP Model Development

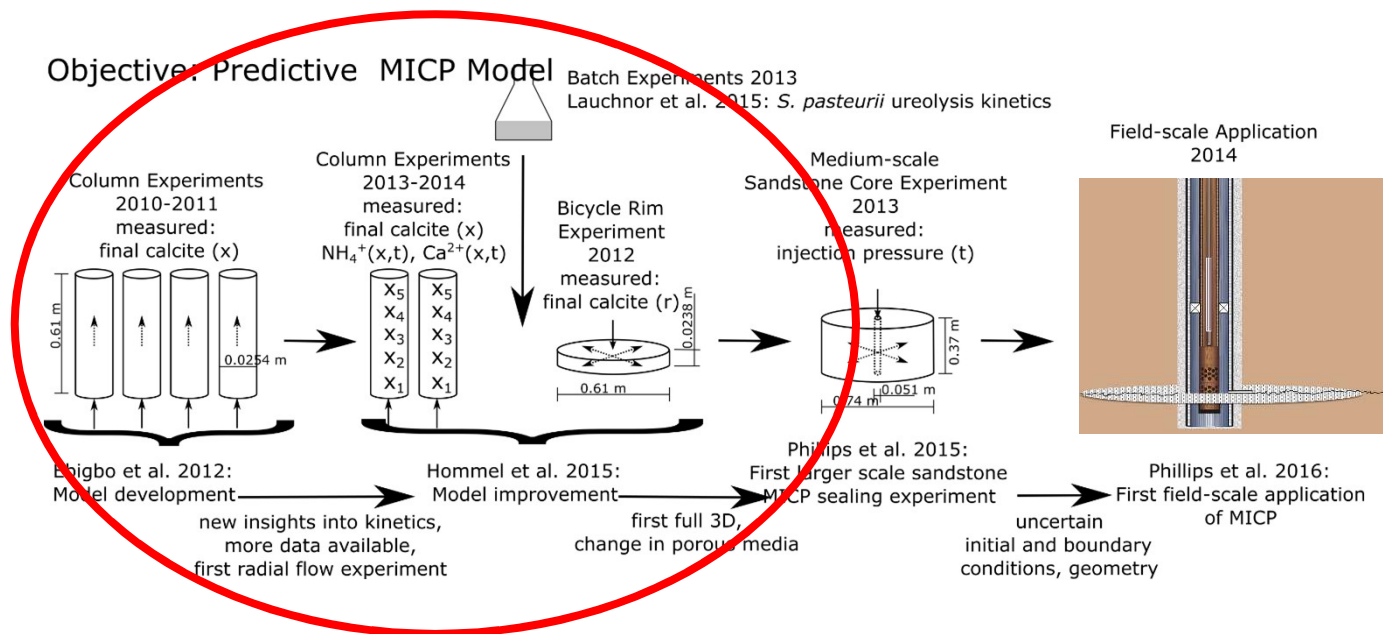
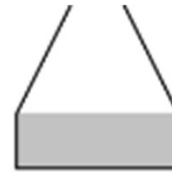


Figure from:
Cunningham et al. 2019. Field-scale modeling of microbially induced calcite precipitation.
Computational Geosciences,
doi: [10.1007/s10596-018-9797-6](https://doi.org/10.1007/s10596-018-9797-6)

Similar development of the current EICP (and TICP) model, starting at lab-scale with column and batch kinetics experiments

EICP experiments used for model development

- Kinetics batch experiments at 20-80°C at various concentrations
- Calibration and validation to EICP column experiments at 60°C:
 - 3 days, pulsed injection of 5 g/l crude enzyme, followed by 20g/l urea and 13.3 g/l calcium every 2h
 - Concentrations measured at 10.16 and 40.64 cm over time after each injection
 - Final calcite measured over length



Samp-
ling
ports

Urea
Ca²⁺



61 cm,
2,4 cm diam.
sand filled

40.64 cm

10.16 cm

Balance Equations

- Mass balance equation of components

$$\sum_{\alpha} \frac{\partial}{\partial t} (\phi \rho_{\alpha} x_{\alpha}^{\kappa} S_{\alpha}) + \nabla \cdot (\rho_{\alpha} x_{\alpha}^{\kappa} \mathbf{v}_{\alpha}) - \nabla \cdot (\rho_{\alpha} \mathbf{D}_{\alpha, \text{pm}}^{\kappa} \nabla x_{\alpha}^{\kappa}) = q^{\kappa}$$

- Mass balance for the immobile components / solid phases:

$$\frac{\partial}{\partial t} (\rho_{\varphi} \phi_{\varphi}) = q^{\varphi}$$

- Energy balance:

$$\begin{aligned} & \frac{\partial}{\partial t} ((1 - \phi_0) \rho_s c_s T) + \sum_{\varphi} \left[\frac{\partial}{\partial t} (\phi_{\varphi} \rho_{\varphi} c_{\varphi} T) \right] \\ & + \sum_{\alpha} \left[\frac{\partial}{\partial t} (\phi \rho_{\alpha} u_{\alpha} S_{\alpha}) - \nabla \cdot (\rho_{\alpha} h_{\alpha} \mathbf{v}_{\alpha}) \right] - \nabla \cdot (\lambda_{\text{pm}} \nabla T) = q^h \end{aligned}$$

Sources & Sinks: Ureolysis and Precipitation

$$\begin{aligned} \text{Urea:} \quad q^{\text{urea}} &= -r_{\text{urea}} \\ \text{Total nitrogen:} \quad q^{\text{NH}_{\text{tot}}} &= 2r_{\text{urea}} \end{aligned}$$

$$\begin{aligned} \text{Calcium:} \quad q^{\text{Ca}^{2+}} &= r_{\text{diss}} - r_{\text{precip}} \\ \text{Total carbon:} \quad q^{\text{C}_{\text{tot}}} &= r_{\text{urea}} + r_{\text{diss}} - r_{\text{precip}} \\ \text{Calcite:} \quad q^{\text{c}} &= r_{\text{precip}} - r_{\text{diss}} \end{aligned}$$

$$\begin{aligned} \text{Precipitation rate} \quad r_{\text{precip}} &= f \left(A_{\text{interface}}, \Omega = \frac{[\text{Ca}^{2+}][\text{CO}_3^{2-}]}{K_{\text{sp}}}, T \right) \\ \text{Dissolution rate} \quad r_{\text{diss}} &= f \left(A_{\text{interface}}, \Omega = \frac{[\text{Ca}^{2+}][\text{CO}_3^{2-}]}{K_{\text{sp}}}, \text{pH}, T \right) \\ \text{Ureolysis rate} \quad r_{\text{urea}} &= k_{\text{u}}^{\text{e}} (C_{\text{w}}^{\text{e}} + \phi^{\text{e}} \rho^{\text{e}}) C_{\text{w}}^{\text{urea}} S_{\text{w}} \phi \end{aligned}$$

$$k_{\text{u}}^{\text{e}} = c_{\text{u}}^{\text{e}} \cdot e^{\left(\frac{c_{\text{u}}^{\text{e}} T}{T}\right)}$$

Sources & Sinks: EICP, enzyme

$$\begin{aligned} \text{Enzyme, mobile:} \quad q^{e,\text{mob}} &= -r_{\text{inactiv}}^{e,\text{mob}} - r_{\text{attach}}^e + r_{\text{detach}}^e \\ \text{Enzyme, imm.:} \quad q^{e,\text{imm.}} &= -r_{\text{inactiv}}^{e,\text{imm.}} + r_{\text{attach}}^e - r_{\text{detach}}^e \end{aligned}$$

$$\begin{aligned} \text{Inactivation:} \quad r_{\text{inactiv}}^{e,\text{mob}} &= k_{\text{ia}} \cdot \phi S_{\text{w}} C_{\text{w}}^e; \\ \text{Inactivation:} \quad r_{\text{inactiv}}^{e,\text{imm}} &= k_{\text{ia}} \cdot \rho_{\text{e}} \phi_{\text{e,imm}}; \end{aligned}$$

$$k_{\text{ia}} = c_{\text{ia}} \cdot e^{\left(\frac{c_{\text{ia},T}}{T}\right)}$$

$$\begin{aligned} \text{Attachment:} \quad r_{\text{attach}}^e &= c_{\text{a}} \cdot \phi S_{\text{w}} C_{\text{w}}^e \\ \text{Detachment:} \quad r_{\text{detach}}^e &= c_{\text{d}} \cdot \rho_{\text{e}} \phi_{\text{e,imm}} \end{aligned}$$

Supplementary Equations

- Updating permeability and porosity

$$K = K_0 \left(\frac{\phi - \phi_{\text{crit}}}{\phi_0 - \phi_{\text{crit}}} \right)^3, \quad \phi = \phi_0 - \sum_{\varphi} \phi_{\varphi}$$

- Capillary pressure and relative permeability according to Brooks & Corey

$$p_c = p_d S_e^{-\frac{1}{\lambda}}, \quad S_e = \frac{S_w - S_{w,r}}{1 - S_{w,r}}$$

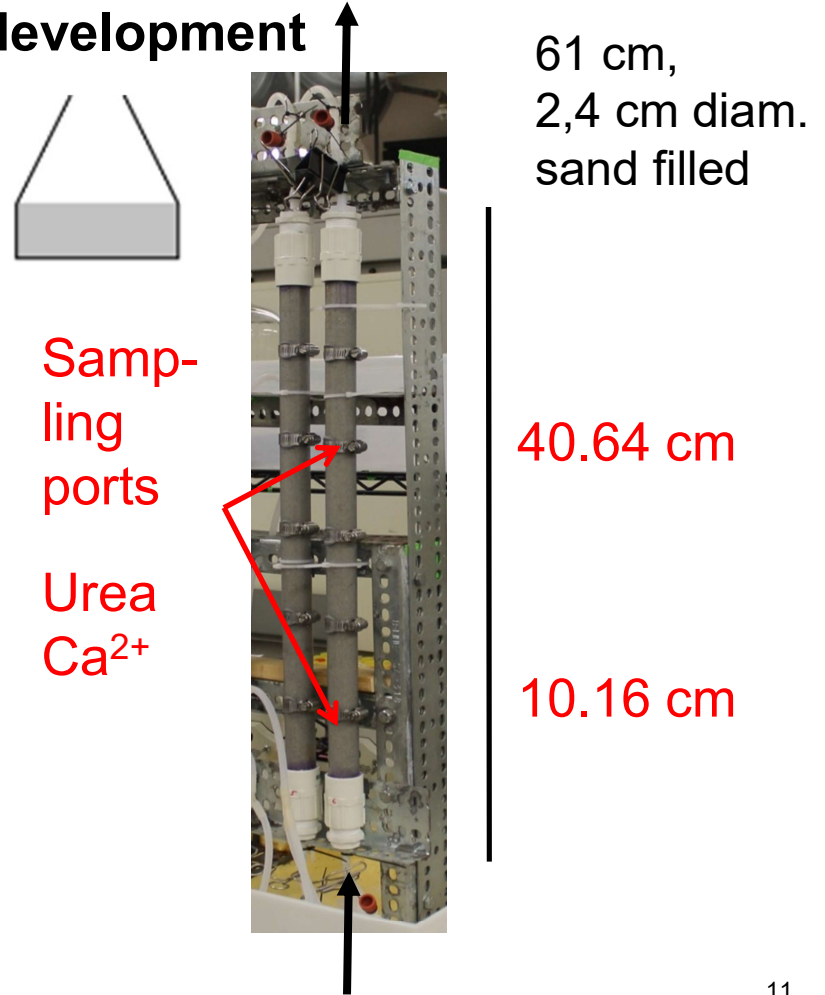
$$k_{r,w} = S_e^{\frac{2+3\lambda}{\lambda}}, \quad k_{r,n} = (1 - S_e)^2 \left(1 - S_e^{\frac{2+\lambda}{\lambda}} \right)$$

- Elektroneutrality condition for the chemical system:

$$0 = \sum_{\kappa} m_{\text{w}}^{\kappa} z^{\kappa} \quad \text{and H}^+\text{-dependent dissociation reactions}$$

EICP experiments used for model development

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 - Concentrations measured at 10.16 and 40.64 cm over time after each injection
 - Final calcite measured over length



Results: EICP model calibratic

- Calibration to experiment:
- First port (10.16 cm)

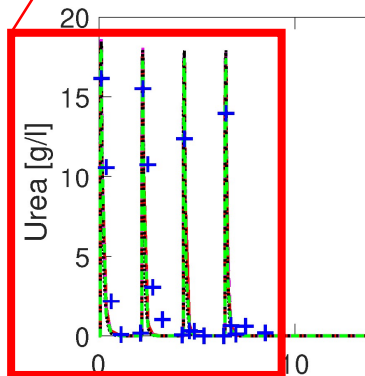
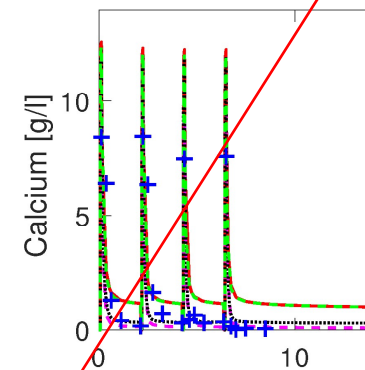
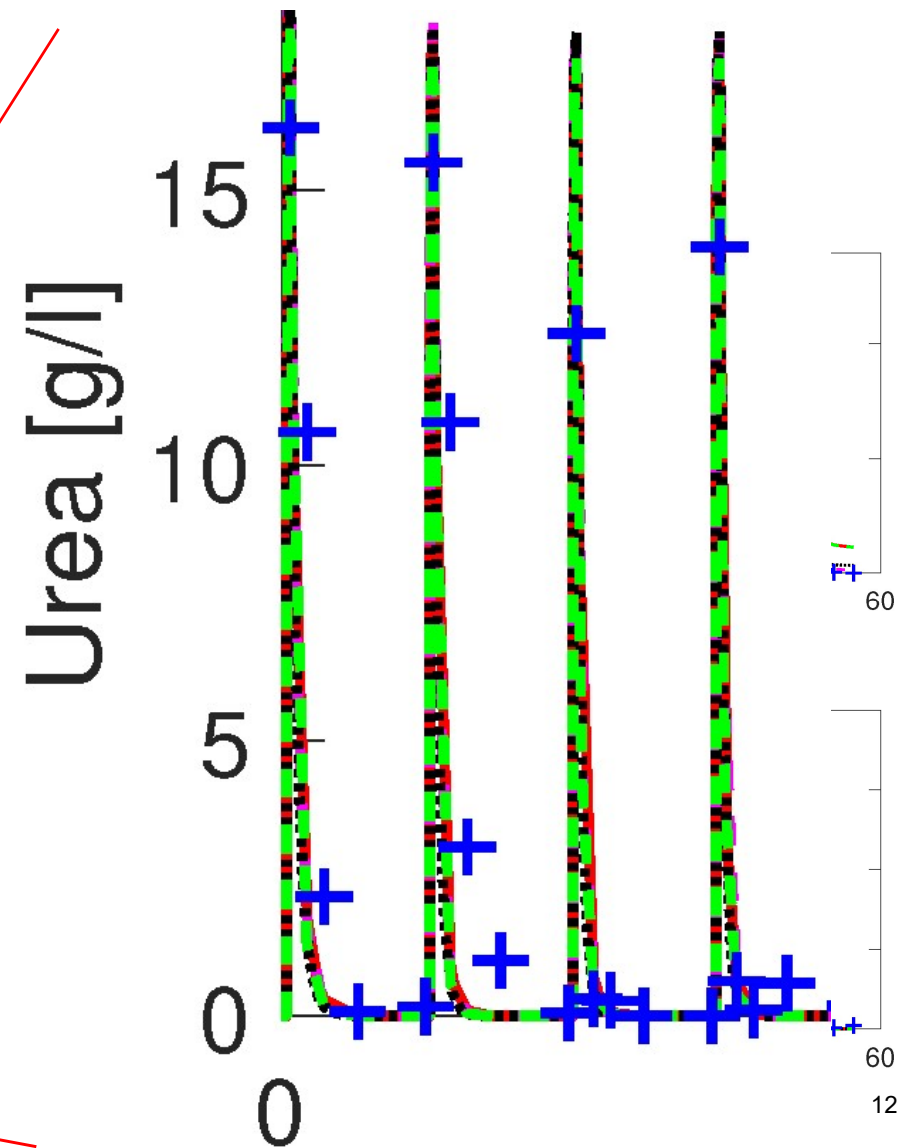
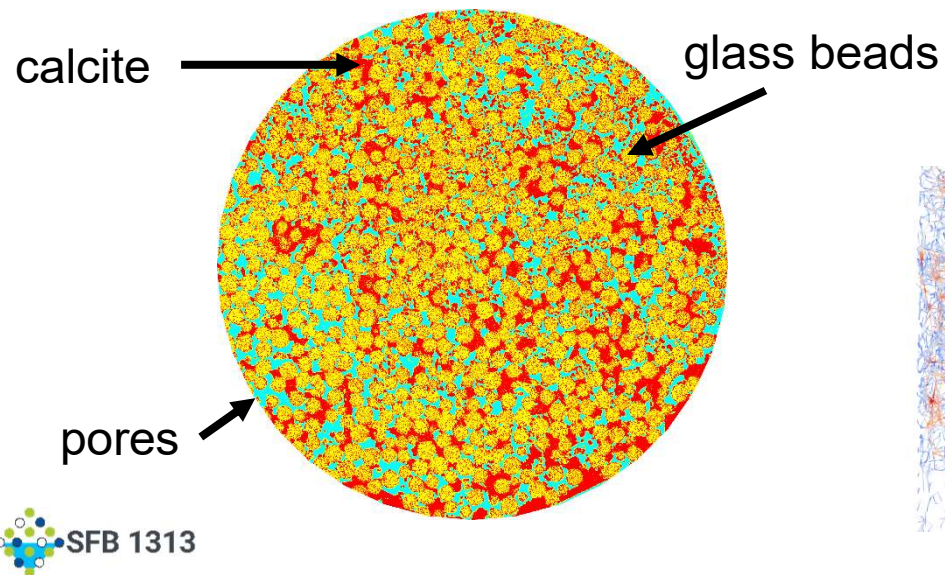


Figure from:
Hommel et al. 2020. A Numerical
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Applied Sciences,
<https://doi.org/10.3390/app10134538>

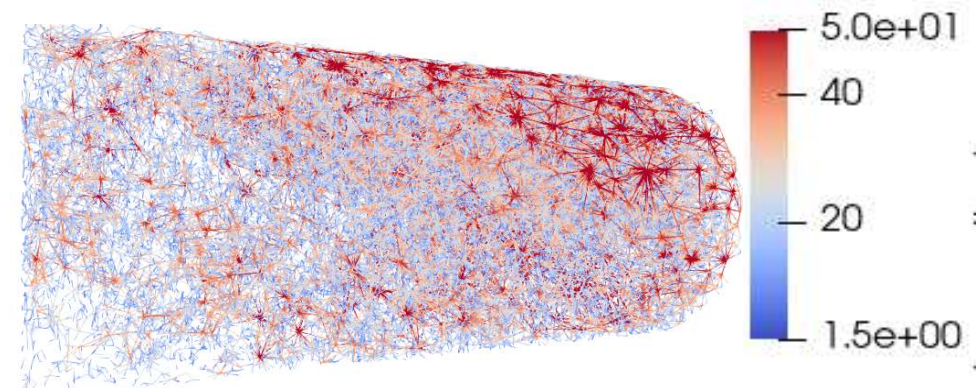


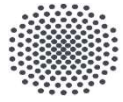
Summary and Outlook

- Developed a numerical model for EICP
- Next steps:
 - Closer investigation of effect of EICP on hydraulic properties (permeability, p_c - S_w , ...)
 - Experiments in the Porous Media Lab at Stuttgart (collab. with SFB1313)



Generated PN: pore diameter [μm]





University of Stuttgart
Germany

Thank you!



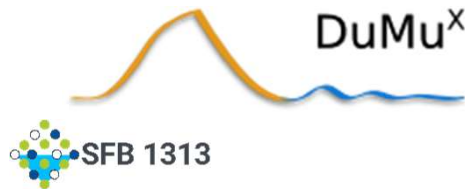
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H. Class,
A. Ebigbo
Many more



DuMu^X

All simulations conducted with DuMu^X www.dumux.org

Support of the German Research Foundation is gratefully acknowledged.



Sources & Sinks: Ureolysis, for EICP

- MICP

$$r_{\text{urea}}^{\text{MICP}} = k_u^m k_{u,\text{biofilm}} (\rho_{\text{biofilm}} \phi_{\text{biofilm}}) \frac{m_{\text{urea}}}{K_u + m_{\text{urea}}}$$

- EICP

$$r_{\text{urea}}^{\text{EICP}} = k_u^e (C_w^e + \phi^e \rho^e) C_w^{\text{urea}} S_w \phi$$
$$k_u^e = c_u^e \cdot e^{\left(\frac{c_{u,T}^e}{T}\right)}$$

- TICP

$$r_{\text{urea}}^{\text{TICP}} = k_u^t C_w^{\text{urea}} S_w \phi$$
$$k_u^t = c_u^t \cdot e^{\left(\frac{c_{u,T}^t}{T}\right)}$$

Results: EICP model calibration

- Calibration to experiment:
- Second port (40.64 cm)

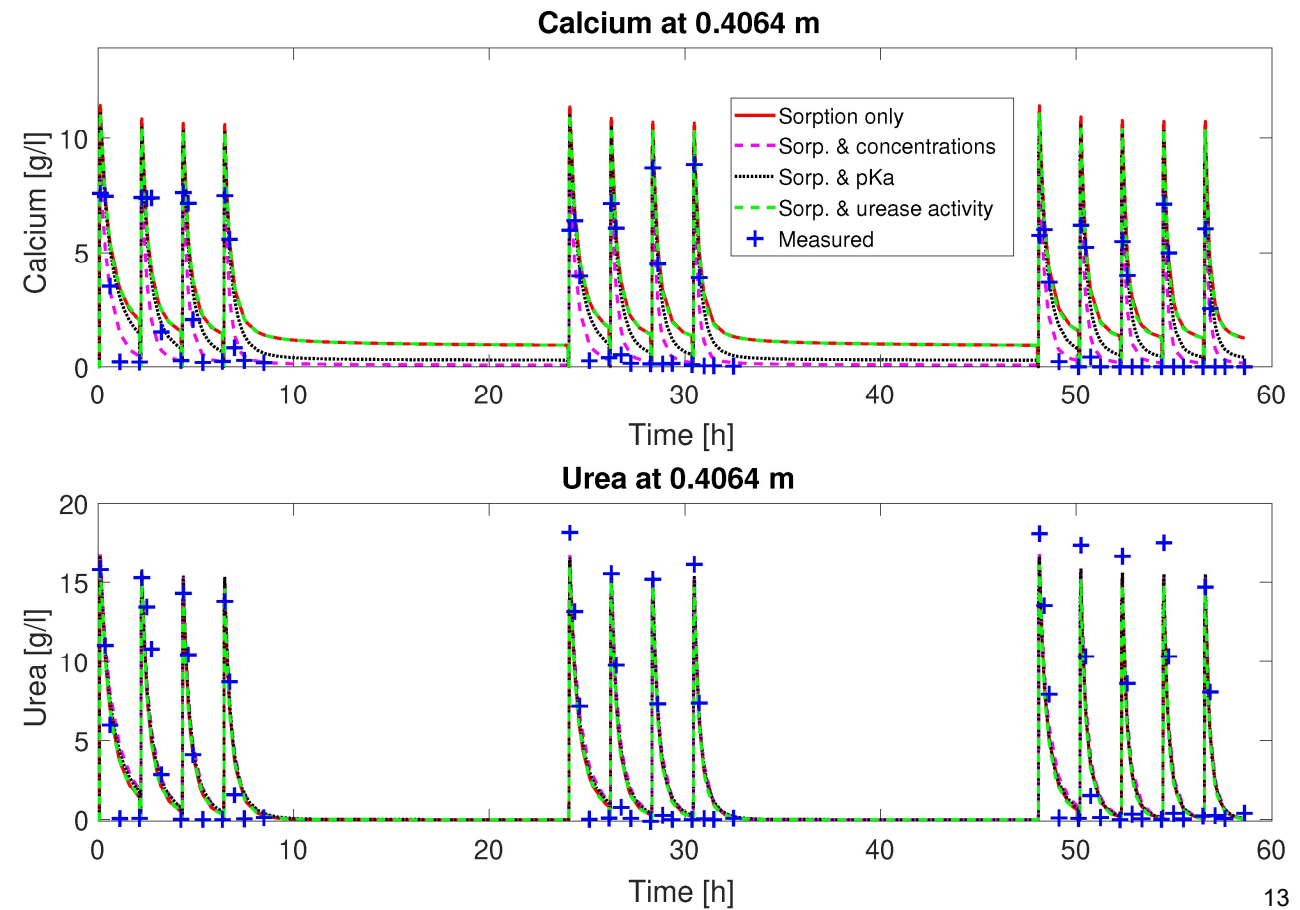


Figure from:
Hommel et al. 2020. A Numerical
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Calcium Carbonate Precipitation.
Applied Sciences,
<https://doi.org/10.3390/app10134538>

Results: EICP model validation

- Final calcite over column length
- Not used for calibration!
- Good fit for outlet half, inlet half overestimated
- → maybe some unaccounted process?

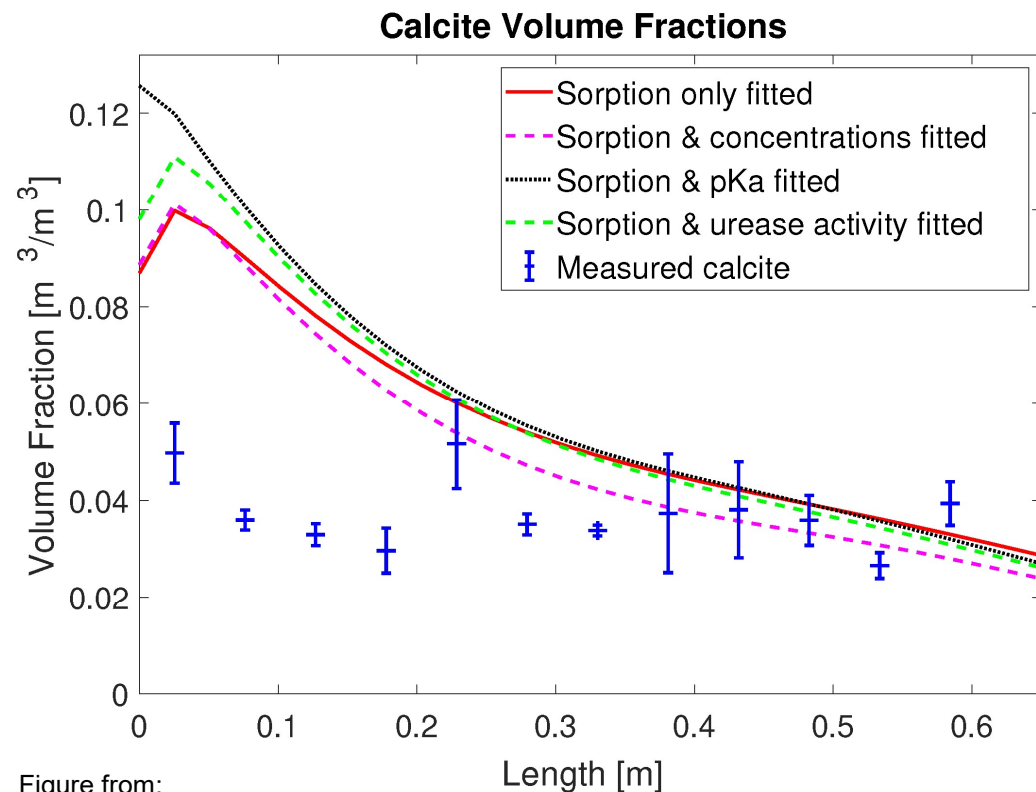


Figure from:
Hommel et al. 2020. A Numerical Model for Enzymatically Induced Calcium Carbonate Precipitation. *Applied Sciences*, <https://doi.org/10.3390/app10134538>

Results: EICP model validation second column

- Validation to second column experiment
- Doubled concentrations
- First port (10.16 cm)
- Not used for calibration!

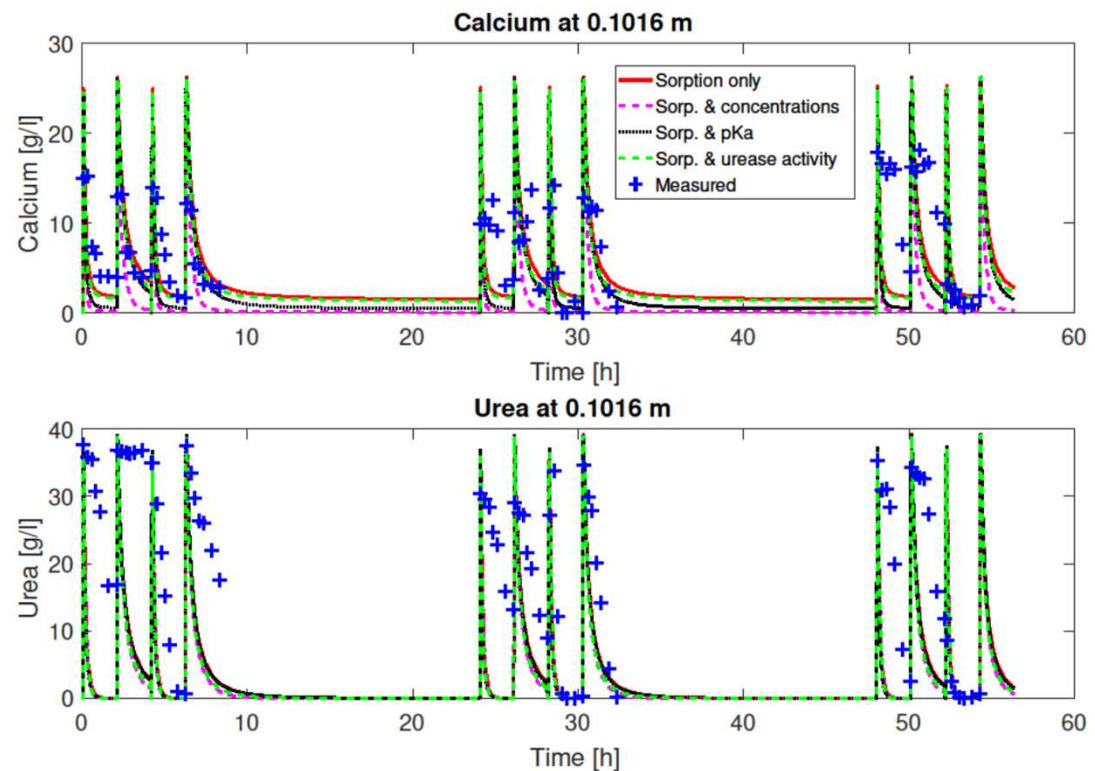


Figure from:
Hommel et al. 2020. A Numerical Model for Enzymatically Induced Calcium Carbonate Precipitation. *Applied Sciences*, <https://doi.org/10.3390/app10134538>

Summary

- Concentrations are matched quite well, urea and calcium are consumed very fast.
- Calcite precipitation overestimated in the inlet half. → maybe some additional process?

